

A Scalable, Portable, and Memory-Efficient Lock-Free FIFO Queue

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Motivation

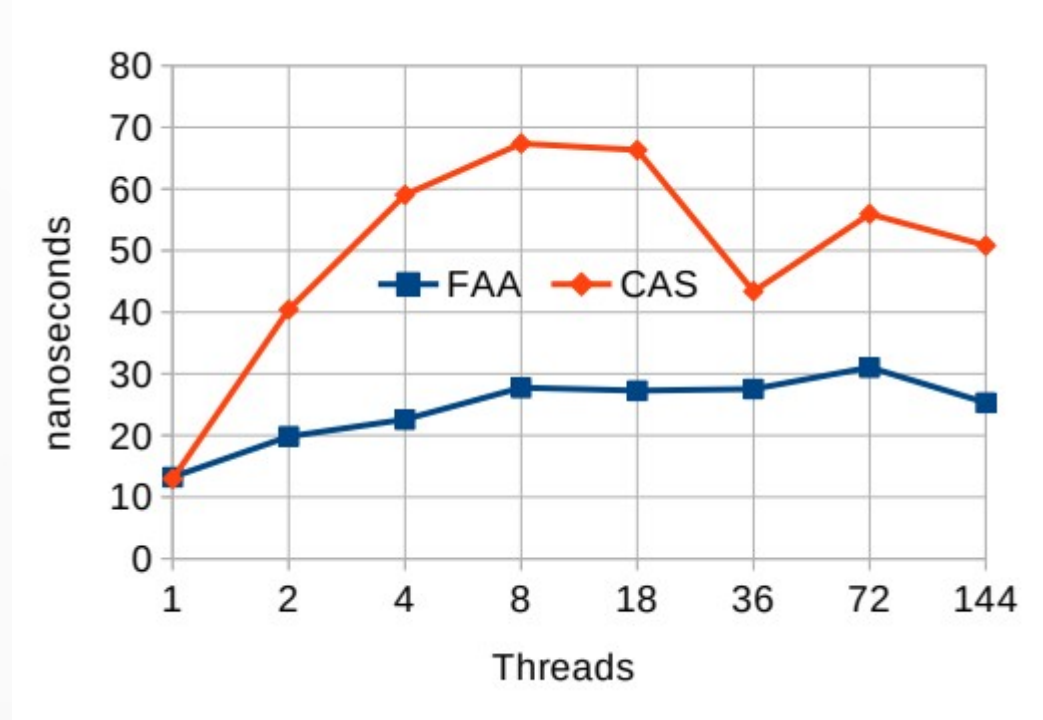
- Efficient concurrent FIFO queues are hard
 - Elimination techniques and relaxed FIFO queues are typically specialized
- Desirable properties
 - *Scalability*: leveraging many cores efficiently
 - *Portability*: using standard atomic primitives (e.g., single-width CAS)
 - *Memory Efficiency*: high memory utilization, avoiding reallocation due to livelocks

Existing Approaches

- Classical Michael & Scott's (M&S) FIFO queue: not very scalable [*PODC'96*]
- Various “lockless” ring buffers (circular queues). They are typically either not lock-free or linearizable, or both
- Lock-free ring buffers. They are not that scalable [*Tsigas et al: SPAA'01, Feldman et al.: SIGAPP'15*]
- LCRQ: a M&S list of scalable (but livelock-prone) ring buffers. Requires double-width CAS [*Morrison et al: PPOPP'13*]
- WFQUEUE: a wait-free design, the fast-path-slow-path methodology workarounds livelocks. More complex API and per-thread state [*Yang et al: PPOPP'16*]

FAA vs. CAS

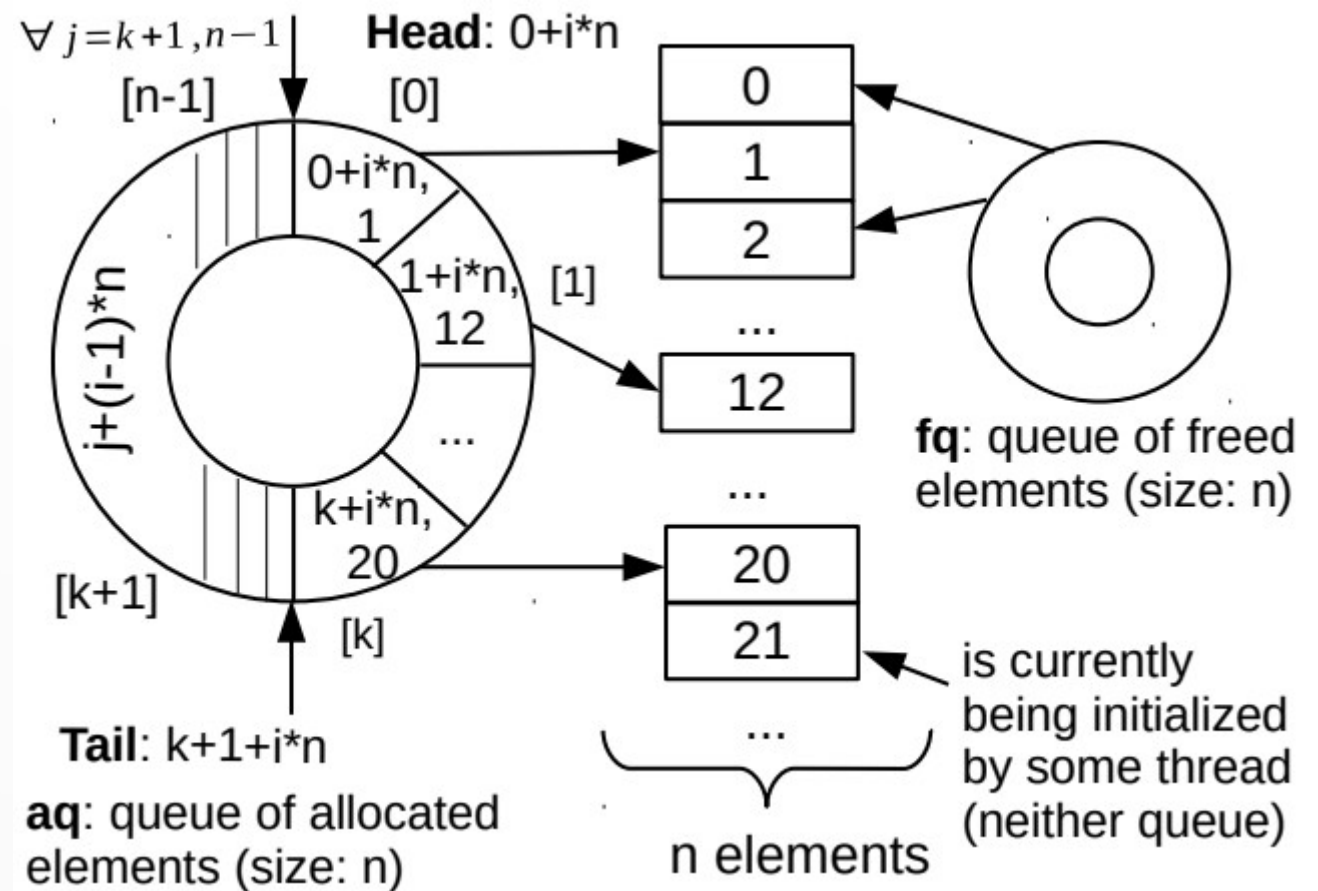
- FAA (fetch-and-add) generally scales better than CAS (compare-and-set)
 - Can be leveraged for ring buffers (LCRQ, WFQUEUE)



Xeon E7-8880 v3 2.3 GHz, 4x18 cores

Proposed Data Structure

- Two queues
 - **aq** and **fq** store indices
 - A data array contains elements
 - Single-width CAS is sufficient!



Infinite Array Queue (livelock-prone)

- The original design described for LCRQ

```
int Tail = 0, Head = 0;

void enqueue(void *p) {
    while (true) {
        T = FAA(&Tail, 1);
        if (SWAP(&Array[T], p) = 1)
            break;
    }
}
```

```
void *dequeue() {
    while (true) {
        H = FAA(&Head, 1);
        p = SWAP(&Array[H], T);
        if (p ≠ 1) return p;
        if (Load(Head) ≤ H + 1)
            return nullptr;
    }
}
```

Infinite Array Queue (livelock-prone)

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int Tail = 0, Head = 0;

void enqueue(void *p) {
    while (true) {
        T = FAA(&Tail, 1);
        if (SWAP(&Array[T], p) = ⊥)
            break;
    }
}
```

```
void *dequeue() {
    while (true) {
        H = FAA(&Head, 1);
        p = SWAP(&Array[H], T);
        if (p ≠ ⊥) return p;
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            return nullptr;
    }
}
```

Infinite Array Queue (livelock-free)

- We use our data structure and introduce a “threshold”

```
int Tail = 0, Head = 0;
signed int Threshold = -1;

void enqueue(size_t idx) {
    while (true) {
        T = FAA(&Tail, 1);
        if (SWAP(&Ent[T], idx) = ⊥) {
            Store(&Threshold, 2n-1);
            break;
        }
    }
}
```

```
size_t dequeue() {
    if (Load(&Threshold) < 0)
        return <empty>;
    while (true) {
        H = FAA(&Head, 1);
        idx = SWAP(&Ent[H], T);
        if (idx != ⊥) return idx;
        if (FAA(&Threshold, -1) ≤ 0)
            return <empty>;
        if (Load(Head) ≤ H + 1)
            return <empty>;
    }
}
```

Infinite Array Queue (livelock-free)

- We use our data structure and introduce a “threshold”

```
int Tail = 0, Head = 0;
signed int Threshold = -1;

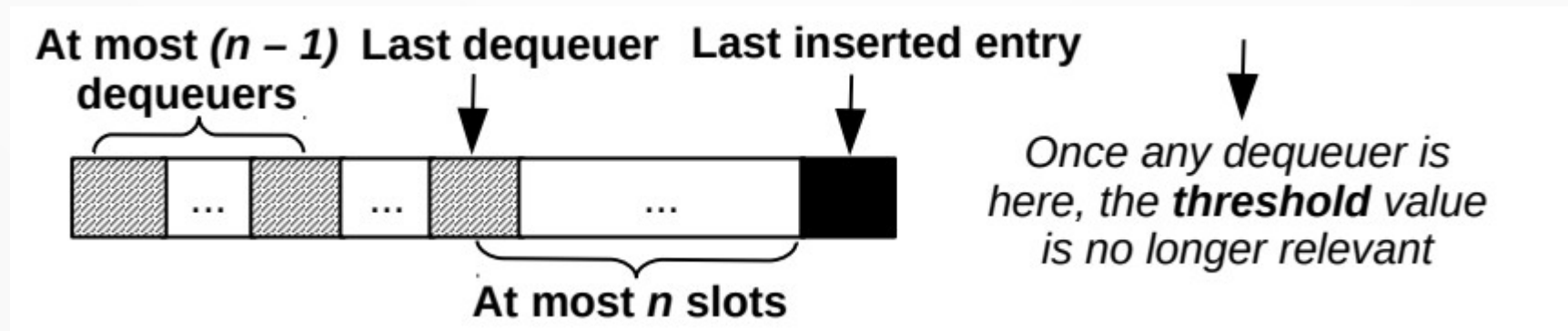
void enqueue(size_t idx) {
    while (true) {
        T = FAA(&Tail, 1);
        if (SWAP(&Ent[T], idx) = ⊥) {
            Store(&Threshold, 2n-1);
            break;
        }
    }
}
```

```
size_t dequeue() {
    if (Load(&Threshold) < 0)
        return <empty>;
    while (true) {
        H = FAA(&Head, 1);
        idx = SWAP(&Ent[H], T);
        if (idx != ⊥) return idx;
        if (FAA(&Threshold, -1) ≤ 0)
            return <empty>;
        if (Load(Head) ≤ H + 1)
            return <empty>;
    }
}
```

Threshold Bound

- Consider two cases
 - The last dequeuer is ahead of the last enqueueer (the threshold value does not matter)
 - The last dequeuer is not ahead of the last enqueueer

Number of threads $\leq n$



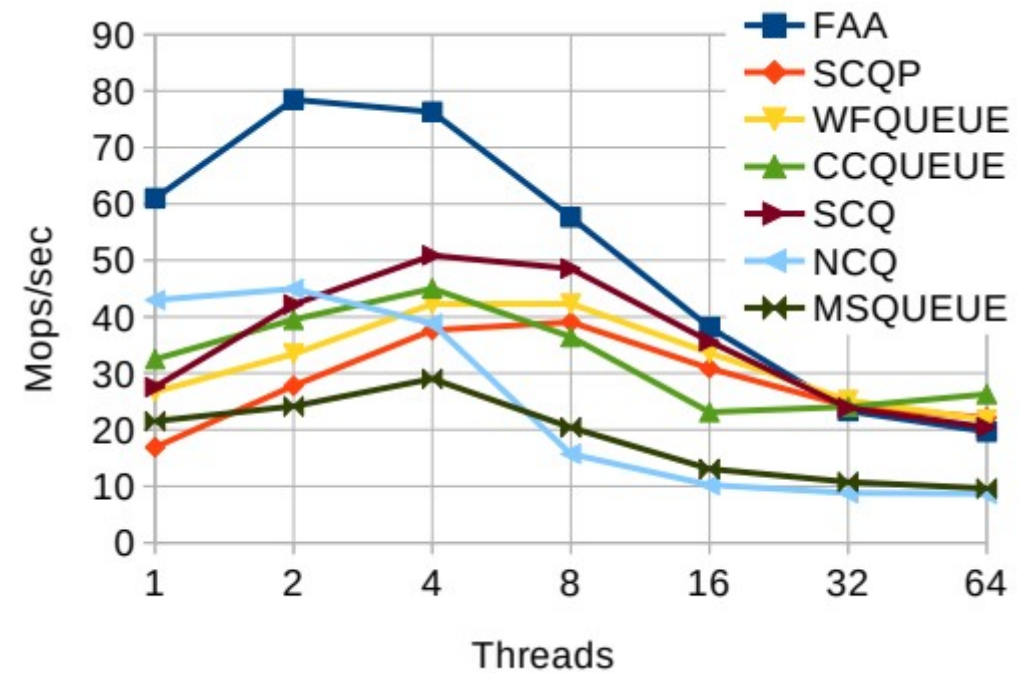
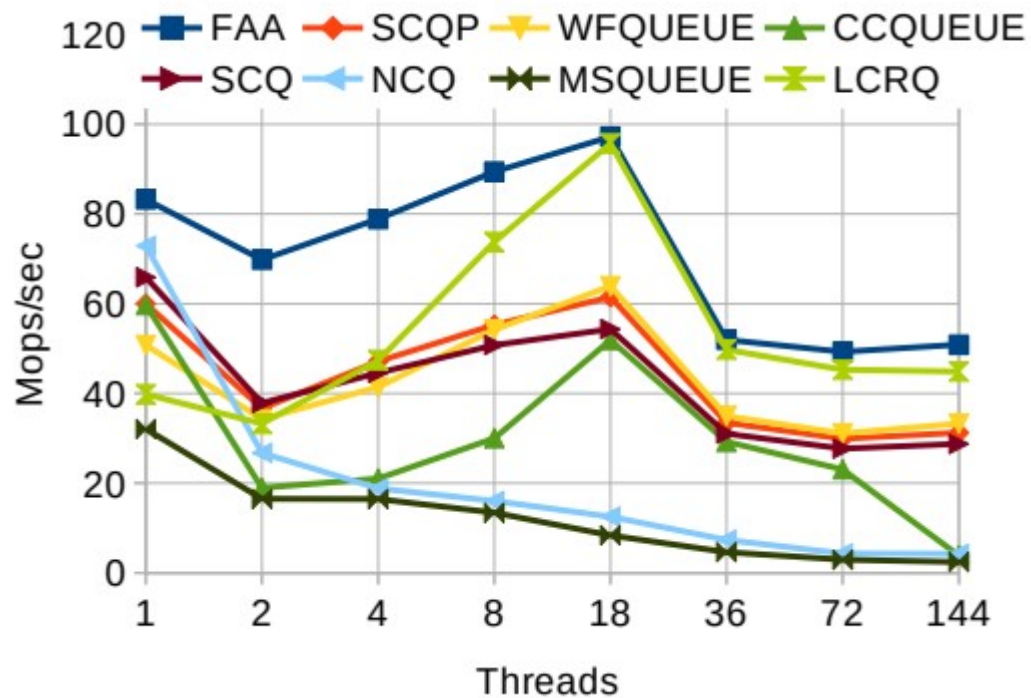
Scalable Circular Queue (SCQ)

- We **double the capacity** of the queue and set the threshold value to $(3n-1)$
- Some other differences (e.g., cycle management) with LCRQ
- (Unbounded) LSCQ: more memory efficient than LCRQ
- A specialized version of SCQ for double-width CAS

Evaluation: 50% Enq, 50% Deq

Xeon E7-8880 v3 2.3 GHz,
4x18 cores

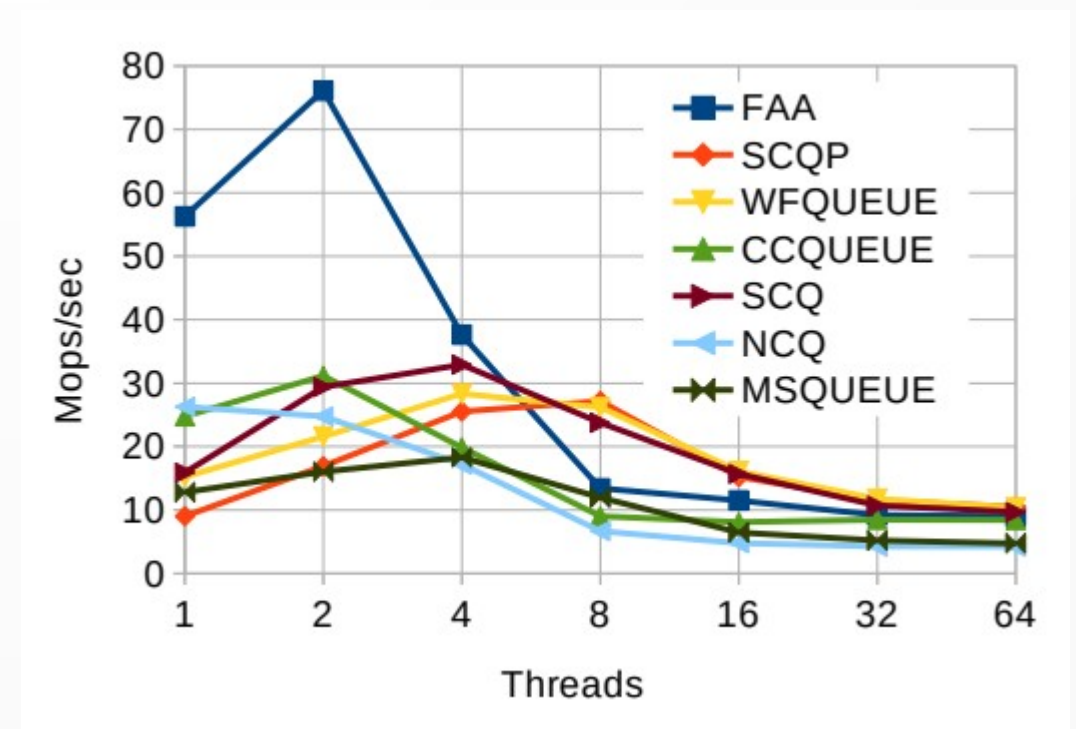
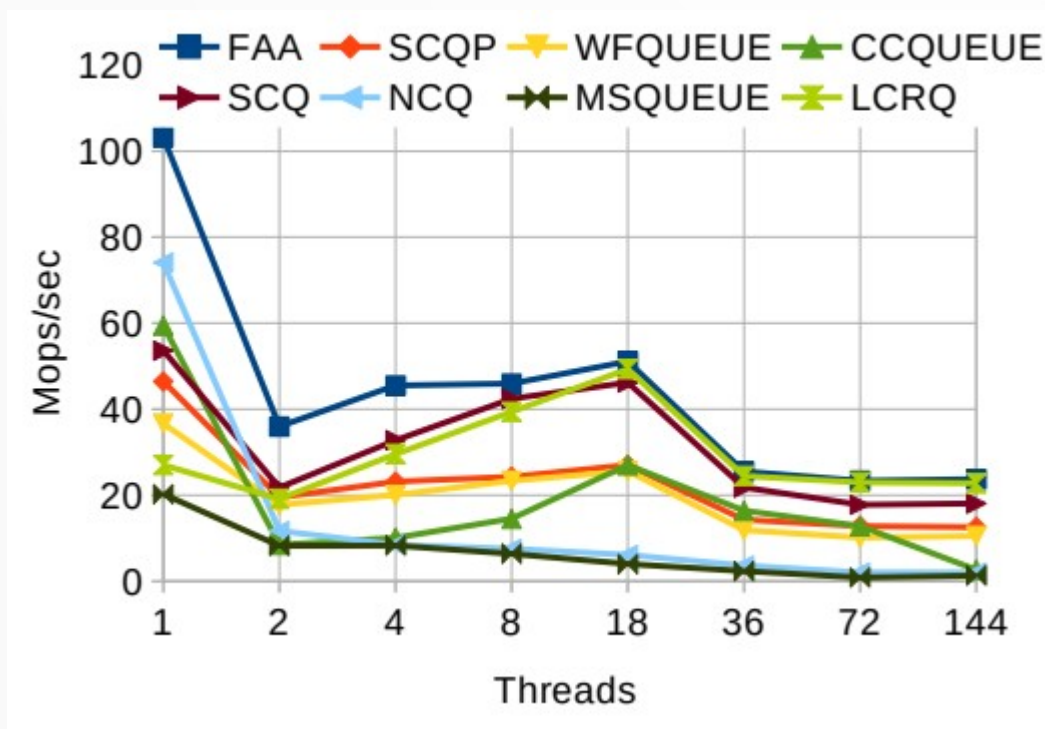
POWER8 3.0 GHz,
8x8 cores



Evaluation: Pairwise Enq-Deq

Xeon E7-8880 v3 2.3 GHz,
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More details

- Code is open-source and available at:
 - <https://github.com/rusnikola/lfqueue>

Thank you!