

Points-to Analysis for Java

- **Historical roots in points-to analysis for C**
 - Steensgaard's algorithm
 - Andersen's algorithm
 - Flow- and context sensitivity
- **Field-sensitive analysis for Java**
 - Based on Andersen for C augmented with handling for fields and dynamic dispatch

Flow & Context Sensitivity in Analysis

- **Flow sensitivity**
 - Analysis calculates a different solution for each program point
 - Analysis captures the sequential order of executions of statements
- **Context sensitivity**
 - Analyze a method separately for different calling contexts (e.g., call sites)

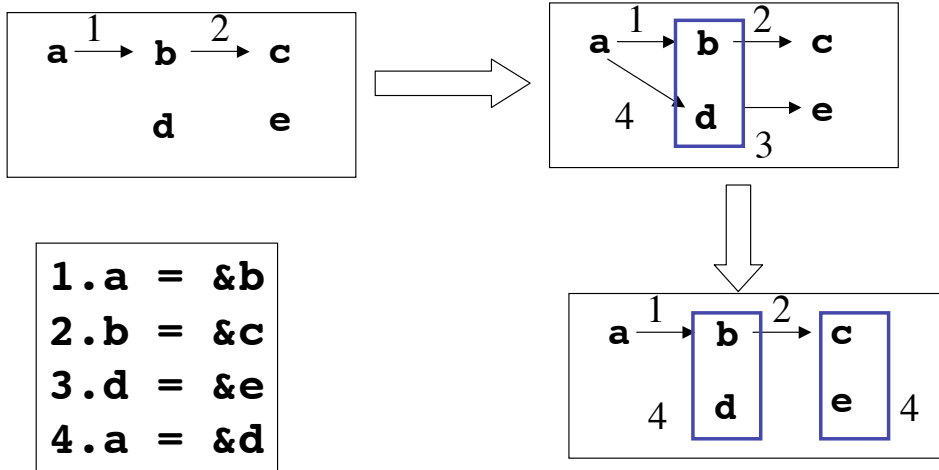
Points-to Analyses for C

- Popular **flow- and context-insensitive** formulations of points-to analysis
 - Scalable to large codes (MLOC)
 - Good enough for ensuring safety of some optimizations
 - Good for program understanding applications
 - Not great for applications needing precise def-use information (e.g., program slicing, testing)
- Solution procedure utilizes *unification* or *inclusion* constraints
 - $P = Q$ either implies $\text{PtsTo}(P) = \text{PtsTo}(Q)$ or $\text{PtsTo}(Q) \subseteq \text{PtsTo}(P)$
- Extended to points-to analyses for OOPL reference variables

Points-to Analyses for C

- Steensgaard's algorithm (POPL'96)
 - Uses unification constraints so that for pointer assignments, $p = q$, algorithm makes $\text{PtsTo}(p) = \text{PtsTo}(q)$
 - This union operation is done recursively for multiple-level pointers
 - Reduces the size of the points-to graph (in terms of both nodes and edges)
 - *Almost linear* solution time in terms of program size, $O(n)$ using fast union-find algorithm
 - Imprecision stems from merging points-to sets
 - One points-to set per pointer variable over entire program

Steensgaard - Example



Points-to sets found:
 $PtsTo(a) = \{b, d\}$
 $PtsTo(b, d) = \{c, e\}$

Steensgaard Solution Procedure - At a glance

- Find all pointer assignments in program (after conversion to single dereference form)
- Form set of points-to graph nodes from pointer variables/fields and variables (in the heap or whose address has been taken)
 - Examine each statement, in arbitrary order, and construct points-to edges
 - Merge nodes (and edges) where indicated by unification constraints (only 1 out edge labelled * per pointer variable)
- After (almost) linear pass over these assignments, points-to graph is complete

Points-to Analysis for C

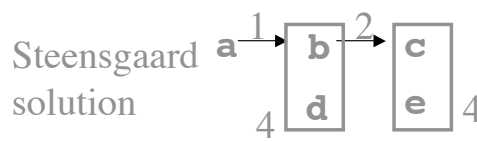
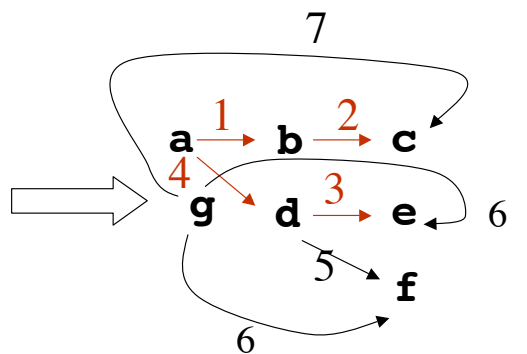
- Andersen's analysis (Thesis 1994)
 - Uses inclusion constraints so that for pointer assignments, $p = q$, algorithm makes $\text{Pts-to}(q) \subseteq \text{Pts-to}(p)$
 - Points-to graph is larger (i.e., has more nodes) than Steensgaard's and more precise
 - Cubic worst case complexity in program size, $O(n^3)$
 - One points-to set per pointer variable over entire program

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Andersen - Example

```
int **a;  
int *b, *d, *g;  
int c, e, f;  
1. a = &b  
2. b = &c  
3. d = &e  
4. a = &d  
5. d = &f  
6. g = d  
7. g = *a
```



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Andersen's Solution Procedure

- At a glance

- Find all pointer assignments in program
- Form set of points-to graph nodes from pointer variables/fields and variables on the heap or whose address is taken
 - Examine each statement, in arbitrary order, and construct points-to edges
 - Need to create more edges when see $p = q$ type assignments so that all outgoing points-to edges from q are copied to be outgoing from p (i.e. processing inclusion constraints)
 - If new outgoing edges are added subsequently to q during the algorithm, they must be also copied to p
 - Work results in $O(n^3)$ worst case cost
 - Treat parameter - argument associations like assignment statements

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Example of Points-to Analysis

```
class A { void m(X p) {..} }
```

```
class B extends A {
```

```
  X f;
```

```
  void m(X q) { this.f=q;
```

```
}
```

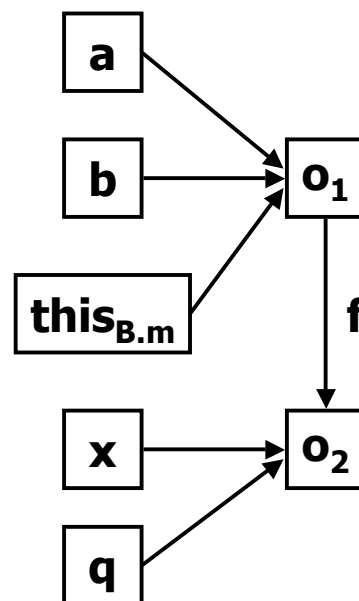
```
B b = new B();
```

```
X x = new X();
```

```
A a = b;
```

```
a.m(x);
```

A.m() not analyzed because it's unreachable.



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Constraints Generated

- **B** $b = \text{new } B(); \text{ PtsTo}(b) \supseteq \{o_B\}$
- **X** $x = \text{new } X(); \text{ PtsTo}(x) \supseteq \{o_X\}$
- **A** $a = b; \text{ PtsTo}(b) \subseteq \text{PtsTo}(a)$
- **a.m(x);**
 - Treated like $\text{this}_m = a; q = x;$ which generates:
 $\text{PtsTo}(a) \subseteq \text{PtsTo}(\text{this}_m), \text{ PtsTo}(x) \subseteq \text{PtsTo}(q)$
- **Then we process the code within m()**
 - $\text{this}_m.f = q$
- *A satisfying assignment for these constraints is a points-to solution for this code.*

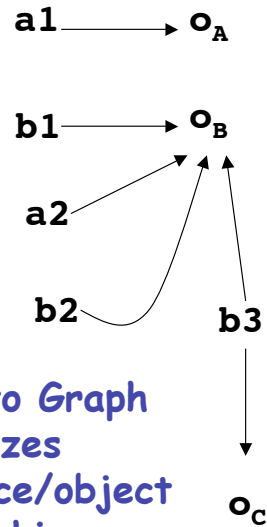
FieldSens Points-to Analysis

- **Based on Andersen's points-to analysis but also add object reference fields to points-to graph as suffices for reference variables**
 - e.g., class A has fields f,g then $p = \text{new } A();$ means $p.f$ and $p.g$ are in the points-to graph
- **Define and solve a system of annotated set-inclusion constraints**
 - Handles virtual calls by simulation of run-time method lookup
 - Models the fields of objects
 - Extended BANE (UC Berkeley) constraint solver
- **Analyzes only possibly executed code**
 - Ignores unreachable code from libraries

FieldSens Example

```

static void main(){
    B b1 = new B();
    A a1 = new A();
    f(b1);
    g(b1);
}
static void f(A a2){
    a2.foo();
}
static void g(B b2){
    B b3 = b2;
    b3 = new C();
    b3.foo();
}
    
```



Points-to Graph summarizes reference/object relationships

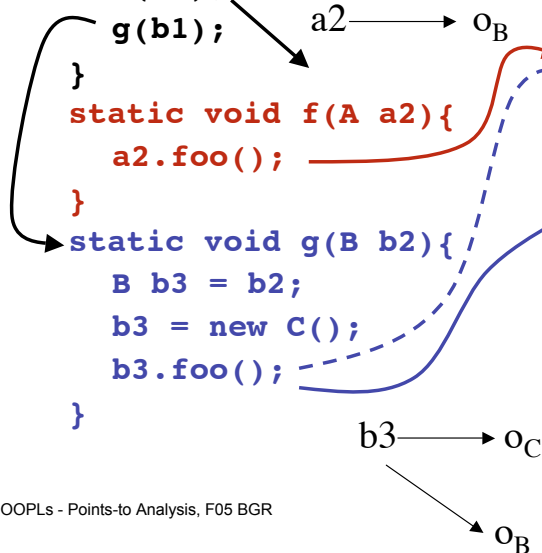
FieldSens Example

cf Frank Tip, OOPSLA'00

```

static void main(){
    B b1 = new B();
    A a1 = new A();
    f(b1);
    g(b1);
}
static void f(A a2){
    a2.foo();
}
static void g(B b2){
    B b3 = b2;
    b3 = new C();
    b3.foo();
}

class A {
    foo(){..}
}
class B extends A{
    foo() {...}
}
class C extends B{
    foo() {...}
}
class D extends B{
    foo() {...}
}
    
```



FieldSens Characteristics

- **Only analyzes methods *reachable* from `main()`**
- **Keeps track of individual reference variables and fields**
- **Groups objects by their creation site**
- **Incorporates reference value flow in assignments and method calls**

FieldSens Findings

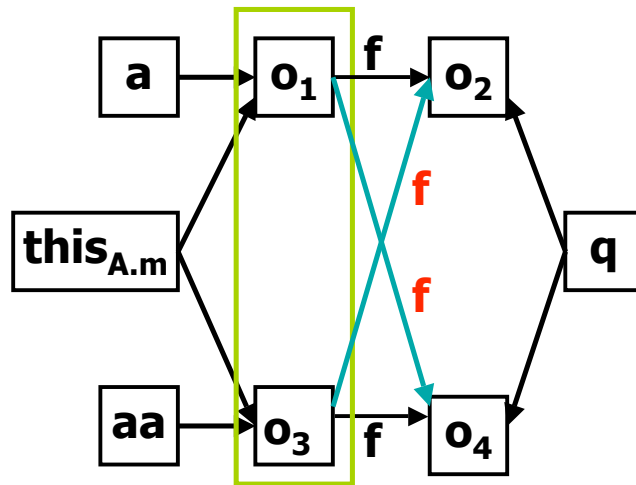
- **Empirical testing found**
 - **Significant precision gains over RTA at call sites found to be polymorphic by CHA**
 - **Could use points-to info in client analysis**
 - **Object read-write information**
 - **Synchronization removal (thread-local)**
 - **Stack allocation (method-local)**

Imprecision of Context Insensitivity

```
class Y extends X { ... }
```

```
class A {  
  X f;  
  void m(X q) {  
    this.f=q ;  
  }  
}
```

```
A a = new A() ;  
a.m(new X()) ;  
A aa = new A() ;  
aa.m(new Y()) ;
```



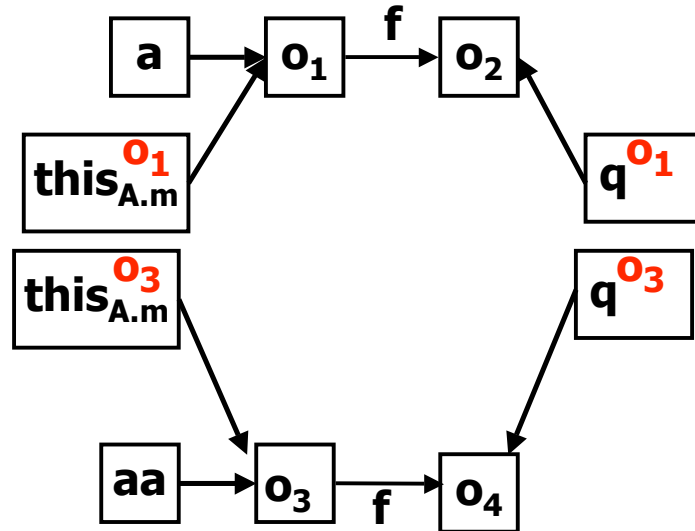
Object-sensitive Analysis

- Form of functional context sensitivity for flow-insensitive analysis of OO languages
- Formulate an object-sensitive Andersen's (points-to) analysis
 - Analysis of instance methods and constructors distinguished for different contexts
 - Receiver objects used to distinguish calling contexts
 - Empirical evaluation vs. context-insensitive FieldSens analysis
 - `this`, formals and return variables (effectively) replicated

Example: Object-sensitive Analysis

```
class A {  
  X f;  
  void m(X q) {  
    thiso3.f=qo3; }  
}  
  
A a = new A();  
a.m(new X());  
A aa = new A();  
aa.m(new Y());
```

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ObjSens Findings

- Precision gains for problems such as def-uses for object fields and side effect analysis (per statement) for practically no additional cost
- Clients
 - Program test coverage metrics
 - Program slicing
 - Program understanding tools

A. Milanova, A. Rountev, and B. Ryder. Parameterized object-sensitivity for points-to and side-effect analyses for Java. In *International Symposium on Software Testing and Analysis*, pages 1–11, 2002.

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