

# A Framework for the Expansion of Spatial Features Based on Semantic Footprints

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**Abstract**— *Geographic feature expansion is a common task in Geographic Information Systems (GIS). Identifying and integrating geographic features is a challenging task since many of their spatial and non-spatial properties are described in different sources. We tackle this expansion problem by defining semantic footprints as a measure of similarity among features. Furthermore, we propose three quantifiers of semantic similarity: spatial, dimensional, and ontological affinity. We show how these measures dilute, concentrate, harden, or concede the feature space, and provide useful insights into the semantic relationships of the spatial entities. Experiments demonstrate the effectiveness of our approach in semantically associating the most appropriate spatial features.*

**Keywords**—spatial; geographic information system, spatial database, system integration, semantic reasoning

## I. INTRODUCTION

For Geographic Information Systems (GIS), one major challenge has been interoperability: the capacity for understanding different data sources in spite of syntactic and semantic differences in language. Several organizations have attempted to mitigate this problem with standardized specifications. The Open Geospatial Consortium (OGC), for instance, has proposed a set of frameworks in an attempt to bring uniformity to spatial data processing [6]. In general, these frameworks use standard grammars such as *Extensible Markup Language* (XML) for data transport. Google and Yahoo! often use KML (Keyhole Markup Language) in their mapping APIs. Government agencies often use Geography Markup Language (GML) for data exchange [9]. One advantage of XML is its hierarchical structure which lends itself well to object orientation that is so prevalent in modern computing.

Consider the two GML examples depicted in Figure 1: *Data Source 1* describes a *geometryProperty* named *Leon Dept of Housing*, whereas *Data Source 2* describes another geometric object called *Hope Apartments*. What is the relationship between these two geographic features/objects? A quick look at their attributes provides some hints: they are within close proximity of each other (lines 1-3), both are urban structures (line 6), and one object occupies similar but less area than the other (lines 7-9). Based on these observations, the following possibilities arise: (1) *Hope Apartments* is part of the *Leon Dept of Housing*; (2) They are the same entity since *Leon Dept of Housing* was renamed *Hope Apartments* and moved across the street from its original location into a smaller

facility; (3) They are two independent facilities that are coincidentally co-located. Without further contextual considerations, only domain experts can make a complete and necessary determination of the relationship between these two geographic features.

	Data Source 1	Data Source 2	
1	<gml:coordinates>	<gml:coordinates>	1
2	-56.3159,	-56.3101,	2
3	52.5168	52.5199	3
4	</gml:coordinates>	</gml:coordinates>	4
4	<gml:Point>	<gml:Point>	4
5	</ogr:geometryProperty>	</ogr:geometryProperty>	5
6	<ogr:building>	<ogr:building>	6
7	<ogr:AREA>	<ogr:AREA>	7
8	5.000	3.932	8
9	</ogr:AREA>	</ogr:AREA>	9
10	<ogr:PERIMETER>	<ogr:PERIMETER>	10
11	25.010	22.882	11
11	</ogr:PERIMETER>	</ogr:PERIMETER>	11
12	<ogr:NAME>	<ogr:NAME>	12
13	Leon Dept of Housing	Hope Apartments	13
14	</ogr:NAME>	</ogr:NAME>	14
15	<ont:living space/>	<ont:apartment/>	15
16	<ogr:LAT>	<ogr:LAT>	16
17	543831	523300	17
18	</ogr:LAT>	</ogr:LAT>	18
18	<ogr:LONG>	<ogr:LONG>	18
19	56100	52449	19

Figure 1. Example GML Data Sources

The discussion above illustrates the challenges in reasoning on disparate data sets. Work in this field of research proposes a wide variety of approaches to handle data disparity: value comparisons, word distances, disambiguation, look-ups on gazetteers, and others that at times introduce complexity to the analysis [19]. Our work aims to reduce this complexity by proposing a semantic framework which exploits spatial relationships built into the geographic features. The framework helps elicit hidden and useful semantic information about the geographic features and their neighbors. Our goal is not only to determine possible matches, but also to determine whether geographic features can be deemed complementary (or irrelevant) to one another. We would like to determine if *Leon Dept of Housing* and *Hope Apartments* are the same building or just similar facilities. We are also interested in measuring their physical proximity and then combine their associated descriptions so that a higher authority (i.e., the domain expert) may make a final decision based on his/her own constraints.

We propose a method of semantic footprints based on three relational concepts: the spatial affinity within the data space; the dimensional affinity within the XML hierarchy; and the ontological similarity based on the feature's class label. In addition, we describe an approach that utilizes the above measures to associate and link disparate geographic features. Because the number of geographic features is potentially large, we devise the concepts of dilution, hardness, concentration, and concession as a means to efficiently and effectively perform semantic analysis on the data. These concepts provide criteria

to evaluate the ongoing progress of our analysis and help answer the following questions: are geographic features/objects being found in close proximity to the initial geographic feature query? If so, do these geographic features add sufficient relevant information to the initial geographic feature query? Here, relevance is defined as a general notion that is a function of the spatial, non-spatial, and ontological properties of the data objects. If the user is initially seeking only  $k$  number of features, then are the current ones sufficiently relevant or should the process continue to search for others that may be more relevant?

This paper is organized as follows: In Section II, we give related approaches to feature reconciliation and object matching. Section III gives the general problem statement, expands on our theoretical approach to *Semantic Footprints*, and elaborates on a semantic analysis approach. Experiments are described in Section IV and conclusion is provided in Section V.

## II. RELATED WORK

Current literature in semantic information processing can be classified into one of the following categories:

**Schema Matching:** Rahm *et al.* proposed the decomposition of complex schemas into simpler sets [1,11]. Doan *et al.* used a set of semantic mappings to learn new mappings using machine learning techniques [5]. Islam *et al.* proposed a method to determine the semantic similarity of words and another for word segmentation [3]. We depart from the above works by considering the spatial characteristics of objects, which is not in the scope of any of the above works.

**Object Consolidation:** The difficulty of combining objects described in different sources is addressed by Beeri *et al.* [8]. They extend the one-sided nearest neighbor join into mutually nearest neighbors. As described by Bleiholder *et al.*, data fusion can also be performed at a query language level [10]. Seghal *et al.* proposed entity resolution primarily as a function of locations [12]. We differ from these approaches by extending our work beyond object fusion and propose methods to evaluate semantic relationships within the attribute and ontological spaces.

**Ensemble Reasoning:** This technique combines both schema matching and object consolidation. They tend to be more effective in applications in which prior knowledge of the schemas is available. Fazzinga *et al.* proposed a query language to combine partial answers from different sources on the basis of limited knowledge about the local schemas in XML documents [2]. Leitao *et al.* proposed a method to detect duplicate objects in XML data using Bayesian networks [4]. A schema matching approach, Protoplasm, is an aggregation of several existing methods to reconcile named entities [7]. Unlike our proposed framework, these studies do not consider the spatial component of an object and rely primarily on non-spatial textual content.

Table 1 provides a summarized view of the literature in semantic feature analysis. The last row gives a snapshot of how our work differs from existing approaches. Our proposed framework is unique in several ways. **First**, we take a qualitative view of feature expansion by avoiding explicit

comparisons on data values. **Second**, we extend the notion of spatial co-location to include the most semantically relevant nearby features which are not necessarily the closest in geographic space. For example, if a source describes several buildings and water bodies, nearby houses are possibly more relevant to a query originating from a house than a water body. **Third**, our framework is oriented towards data sources of similar application domains. As an illustration, consider the marketing realm. In its context, nearby stores and malls would most likely provide more relevant information than, for instance, weather data. We propose spatial proximity, dimensional affinity, and ontological similarity to improve the efficiency of our semantic analysis by limiting the number of geographic features or objects under consideration.

TABLE I. Summary of Semantic Information Processing Approaches

Class	Name	Primary Focus	Goal	General Spatial Applicability
Schema Matching	Rahm [2][14] Doan [7]	Logical Structure	Feature Matching	Low
Object Consolidation	Beeri [11] Bleiholder[13]	Attribute Values	Feature Matching	Medium
Ensemble Reasoning	Fazzinga [3] Leitao [6]	Structure, Attributes, Types	Feature Matching & Likeness	Medium
Ensemble Reasoning	Semantic Footprints	Spatial Structure	Feature Matching, Likeness & Complement	High

## III. PROBLEM DEFINITION: SPATIAL FEATURE EXPANSION

Given:

- Set  $D = \{d_1, \dots, d_i, \dots, d_n\}$  where  $d_i$  is a semi-structured hierarchical data source (e.g., GML file).
- Geographic feature set  $f_{geo}(d_i) = \{g_1, \dots, g_j, \dots, g_m\}$  where the  $g_j$ 's are all the geographic features or objects of data source  $d_i$  and  $m = |d_i|$  is the number of geographic features in  $d_i$ .
- Set  $G = \bigcup_{i=1..n} f_{geo}(d_i)$  is the union of all geographic features in all data sources  $d_1 \dots d_n$ .
- Attribute set  $f_{att}(g_j) = \{a_1, \dots, a_k, \dots, a_q\}$  where the  $a_k$ 's are all element/attribute types of the geographic feature  $g_j$ .

Objectives:

1. From a starting geographic feature  $g_s$  (initial query), find the set  $G_{close}(g_s) = \{g_j \mid g_j \in G \text{ and } dualAff(g_s, g_j) \geq \xi_{close}\}$  where  $dualAff$  is a measure of the degree of spatial closeness and  $\xi_{close}$  is a user-defined threshold.
2. From a starting geographic feature  $g_s$ , find the set  $G_{dim}(g_s) = \{g_j \mid g_j \in G_{close}(g_s) \text{ and } dimAff(g_s, g_j) \geq \xi_{dim}\}$  where  $G_{dim}$  is a measure of attribute similarity and  $\xi_{dim}$  is a threshold based on the ranking order of  $dimAff(g_s, g_j)$ .
3. From a starting geographic feature  $g_s$ , find the set  $G_{ont}(g_s) = \{g_j \mid g_j \in G_{close}(g_s) \text{ and } ontAff(g_s, g_j) \geq \xi_{ont}\}$  where  $G_{ont}$  is a measure of ontological similarity and  $\xi_{ont}$  is a threshold based on the ranking order of  $ontAff(g_s, g_j)$ .
4. From a starting geographic feature  $g_s$ , find an ordered set  $G_{final}(g_s) = \{g_j \mid g_j \in G_{close}(g_s) \text{ and } (i < j \rightarrow Sem\phi(g_s, g_i) \geq Sem\phi(g_s, g_j))\}$  where  $Sem\phi$  is a measure of similarity based on  $dimAff$  and  $ontAff$ .

### A. Concept of Semantic Footprints

Hierarchical structures encapsulate a rich set of relationships not always visible to the naked eye. Names do not always

match, locations are ambiguous, and characteristics may range wildly. While some systems attempt to match features by introspecting their properties [13], we avoid exhaustive attribute comparisons as they tend to increase computational complexity when many geographic features are present. To establish an efficient and effective representation of semantic relationships, we define semantic footprints and their components in the subsections below.

### B. Spatial Affinity Within the Data Space

Geographic features are commonly described in terms of their locations and hence, we give our first definition for describing spatial closeness:

*Definition 1: Geographic feature  $g_i$  is said to be locally-fit (LF) in data source  $d_i$  if its minimum bounding rectangle (MBR) is explicitly provided in the data source.*

For example, given five locally-fit geographic features  $g_1 \dots g_5$  residing in data sources  $d_1 \dots d_5$ , respectively, we investigate whether  $g_1$ , the starting query feature, has any spatial significance to  $g_2 \dots g_5$ . We give the spatial significance, namely *dual affinity*, by:

$$DualAff(g_i, g_j) = 1 - \frac{Dist(g_i, g_j) - MinDist(g_i, g_j)}{MaxDist(g_i, g_j) - MinDist(g_i, g_j)} \quad (1)$$

Equation 1 defines dual affinity as the degree of spatial closeness between two features. The *Dist* function can be generalized to any appropriate spatial distance, for example, the geodesic distance for latitudinal and longitudinal coordinates. Other distances such as Euclidean or Manhattan distances can also be used. Furthermore, the choice of locations of spatial extents can be approximated by the centroids of their maximum bounding rectangles (MBR), which is an acceptable approach in many types of application. For example, *Dist*( $g_i, g_j$ ) may use the centroids of  $g_i$ 's and  $g_j$ 's MBRs as their representative locations. The functions *MinDist* and *MaxDist* represent the shortest and longest possible distances between two geographic features respectively.

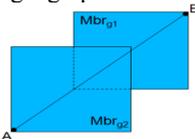


Figure 2. MinDist and MaxDist for Two MBRs

For example, in Figure 2 the geographic features are described by their MBRs, therefore the *MaxDist* between any two objects is the length of the segment AB and *MinDist* is zero since the MBRs overlap. From a spatial point of view, two features have maximal affinity when their locations are the same, i.e., *dualAff*=1. Hence, to achieve *Objective 1*,  $G_{close}(g_s)$  can be determined by collecting all features whose *dualAff* is higher than a given  $\xi_{close}$ . We build upon *DualAff* to define the spatial footprint of a geographic feature:

*Definition 2: The footprint  $\phi$  of a geographic feature  $g_s$  is given by the set of all attributes of all geographic features in  $G_{close}(g_s)$ .*

$$\phi(g_s) = \bigcup_{i=1..|G_{close}(g_s)|} (f_{att}(g_i)) \quad \text{where } g_i \in G_{close}(g_s) \quad (2)$$

The footprint represents the maximal collection of attributes types within the set of  $G_{close}(g_s)$ . This maximal set will impose a bound on the computational complexity of the proceeding semantic operations.

### C. Dimensional Affinity in the Data Space

One attractive aspect of XML is its ability to define class relation in a hierarchical fashion. This idea gives rise to *dimensional affinity* and applies to all geographic features, whether they are locally-fit or do not have an explicit location. In these cases, we observe the dimensions of the feature (its attributes/elements), while relying on the location of its parent. In Figures 3 and 4, the five features (the circles) are within some MBR not of their own, indicated by the encompassing squares covering an area larger than the features themselves. In Figure 3, only the location of the parent is available (locally-displaced feature), and Figure 4 has no location but the bounds of the data set (globally-displaced). While these two cases do not have an explicit location, they can still be useful to establish a semantic footprint.

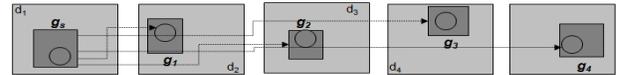


Figure 3. A set of 5 locally-displaced features in 5 data sets

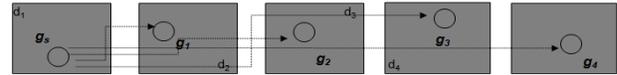


Figure 4. A set of 5 globally-displaced features in 5 data sets

Dimensional affinity gives the ability to measure how similar two geographic features are in relation to their elements and attributes. We define dimensional affinity as follows:

$$DimAff(g_s, g_k) = \frac{|(f_{att}(g_s) \cap f_{att}(g_k))|}{|\phi(g_s)|} \quad (3)$$

where  $g_s, g_k \in G_{close}(g_s)$ .

*DimAff* gives the ratio of common attributes between two geographic features,  $g_s$  and  $g_k$ , in relation to its total number of attributes, i.e., its footprint. Hence, the dimensional affinity is dependent upon the spatial proximity of features in  $G_{close}(g_s)$  and attribute types they share. If *Leon* and *Stellar* together have 22 attributes, but only 5 in common, then  $DimAff(Leon, Stellar) = 5/22 = 0.23$  and if the  $\xi_{dim}$  is met, the geographic features can later be utilized in the analysis of the complete semantic footprint. *Objective 2* is then achieved by forming  $G_{dim}(g_s)$  as the rank ordered set of all geographic features with dimensional affinity  $\geq \xi_{dim}$ .

### D. Ontological Class Affinity

Ontologies represent a classification scheme to group similar objects and are commonly used in a wide range of fields, from medicine to the data sciences [14,15]. We show a method to compute the hierarchical ontological distance among features as the third component of our semantic

footprint. We define the class distance between two nodes in a common hierarchical ontology as follows [18]:

$$\text{Class\_}d(g_s, g_k) = d(\text{LCA}(g_s, g_k), g_s) + d(\text{LCA}(g_s, g_k), g_k) \quad (4)$$

where  $d(g_i, g_j)$  is the edge length between the classes of  $g_i$  and  $g_j$  and  $\text{LCA}(g_i, g_j)$  is the Lowest Common Ancestor defined as the farthest node from the root that is the most immediate ancestor of both  $g_i$  and  $g_j$ . From the class distance measure above, we define the ontological class affinity  $\text{Ont}\hat{A}ff$  as follows:

**Definition 3:** The *ontological class affinity*  $\text{Ont}\hat{A}ff(g_s, g_k)$  is the degree of similarity between the classes of  $g_s$  and  $g_k$  from a common hierarchical ontology:

$$\text{Ont}\hat{A}ff(g_s, g_k) = \frac{1}{1 + \text{Class}_d(g_s, g_k)} \quad (5)$$

Hence, if geographic features  $g_s$  and  $g_k$  are of the same class,  $\text{Ont}\hat{A}ff(g_s, g_k) = 1$ . For example, if Leon is classified as an “apartment” and Stellar is a “house”, assuming these two classes are two hops apart in the ontology, then their  $\text{Ont}\hat{A}ff = \frac{1}{1+2} = 0.333$ . *Objective 3* can then be achieved by creating  $G_{ont}(g_s)$  as the sorted set of all geographic features with ontological class affinity  $\geq \xi_{ont}$ .

Combining the measures of  $\text{Ont}\hat{A}ff$  and  $\text{Dim}\hat{A}ff$ , we propose *semantic footprint*  $\text{Sem}\phi$  as a total measure of the semantic similarity between two geographic features of  $G_{close}(g_s)$ . Formally, semantic footprint  $\text{Sem}\phi$  is defined as follows:

**Definition 4:** The *semantic footprint between two geographic features*  $g_s$  and  $g_k$  is given by:

$$\text{Sem}\phi(g_s, g_k) = \frac{\text{Dim}\hat{A}ff(g_s, g_k) + \text{Ont}\hat{A}ff(g_s, g_k)}{2} \quad (6)$$

Because  $\text{Ont}\hat{A}ff$  and  $\text{Dim}\hat{A}ff$  apply to elements of  $G_{close}$ ,  $\text{Sem}\phi$  inherits the spatial similarity constraint (via  $\text{Dual}\hat{A}ff$ ) of the geographic features. Hence,  $\text{Sem}\phi$  provides a similarity measure between geographic features based on spatial, dimensional, and ontological affinities. From our example in Figure 1, the semantic footprint between Leon and Stellar is  $\text{Sem}\phi(\text{Leon}, \text{Stellar}) = (0.23 + .33)/2 = 0.28$ . *Equation 6* helps us achieve *Objective 4* by establishing a ranking criterion for  $G_{final}(g_s)$  as the set of all geographic features starting from  $g_s$ .

#### E. Progressive Dilution, Hardness, Concentration, and Concession

Using the concepts of our approach, we present a method to evaluate the progression of the relevant features from a starting geographic feature  $g_s$  as more geographic features  $g_1 \dots g_m$  become available for processing. The goal is to observe the changes in semantic footprint as more geographic features are analyzed, and determine to which extent  $\text{Dim}\hat{A}ff$  and  $\text{Ont}\hat{A}ff$  are contributing to the semantic footprint  $\text{Sem}\phi$ . For this purpose, we present four definitions also referred to as *density sets*:

**Definition 5:** The set  $G_{dilation}(g_s) = \{g_j \mid g_j \in G_{close}(g_s) \text{ and } \text{Dim}\hat{A}ff(g_s, g_j) \leq t_{dim} \text{ and } \text{Sem}\phi(g_s, g_j) \geq \xi_{sem}\}$ , where  $\xi_{sem}$  is a

*user-defined threshold for high semantic footprint and  $t_{dim}$  is a user-defined threshold that establishes a low level for dimensional affinity.*

**Dilution** is the set of features with high semantic footprint, but low dimensional affinity. It is indicative of features that do not share many attributes. In such cases, a high  $\text{Sem}\phi$  is mostly dependent on  $\text{Ont}\hat{A}ff$ , the second component of the semantic measure.

**Definition 6:** The set  $G_{hardness}(g_s) = \{g_j \mid g_j \in G_{close}(g_s) \text{ and } \text{Ont}\hat{A}ff(g_s, g_j) \leq t_{ont} \text{ and } \text{Sem}\phi(g_s, g_j) \geq \xi_{sem}\}$ , where  $\xi_{sem}$  is a user-defined threshold for high semantic footprint and  $t_{dim}$  is a user-defined threshold that establishes a low level for ontological affinity.

**Hardness** defines a set of features with high semantic footprint, but low ontological affinity. When the features are not similarly-typed (i.e., far in the ontological classification), a high  $\text{Sem}\phi$  must rely primarily on  $\text{Dim}\hat{A}ff$ .

**Definition 7:** The set  $G_{concentration}(g_s) = \{g_j \mid g_j \in G_{close}(g_s) \text{ and } \text{Dim}\hat{A}ff(g_s, g_j) > t_{dim} \text{ and } \text{Ont}\hat{A}ff(g_s, g_j) > t_{ont} \text{ and } \text{Sem}\phi(g_s, g_j) \geq \xi_{sem}\}$ , where  $\xi_{sem}$  is a user-defined threshold for high semantic footprint and  $t_{dim}$ ,  $t_{ont}$  are thresholds for minimum values of for dimensional and ontological affinities respectively.

**Concentration** is the set of features that yield a high semantic footprint from both a high number of shared attributes and close ontological proximity. It balances a mix of geographic features that are not only similar in attribute commonality, but also similar in attribute types.

**Definition 8:** The set  $G_{concession}(g_s) = \{g_j \mid g_j \in G_{close}(g_s) \text{ and } g_j \notin (G_{concentration}(g_s) \cup G_{dilation}(g_s) \cup G_{hardness}(g_s))\}$

**Concession** is the set of features that cannot be classified as any of the types in Definitions 5-7. Practically, they represent geographic features with low affinity in general, both dimensional, ontological, and as a consequence, have a low semantic footprint.

Thresholds  $t_{ont}$ ,  $t_{dim}$ , and  $\xi_{sem}$  can be manipulated to accommodate the application requirements. For instance, if dimensional affinity (i.e., common attributes) is more desirable than type matching (i.e., ontological proximity), the application should explore a hardness set (and vice-versa for a dilution set). When both factors are important, a concentration set provides a more suitable mix. It is also possible to provide an initial and automatic determination of  $t_{ont}$ ,  $t_{dim}$ , and  $\xi_{sem}$  by using the centroid of the semantic footprints of the geographic features in  $G_{final}$ .

Algorithm 1 shows a method that uses Definitions 5, 6, 7, and 8. First, the semantic components are calculated in Lines 3 and 4, and combined as the total semantic footprint in Line 5. Lines 6-12 apply simple logic to determine if the current geographic feature falls under dilution, hardness, concentration, or concession. Each feature is stored into its appropriate set for later examination. Complexity analysis of the concepts discussed above can be found in the extended version of the paper [20].

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Algorithm 1 – Identifying Dilution, Hardness, Concentration, and Concession Sets
Inputs:  $g_s, G_{close}, \xi_{sem}, \xi_{dim}, \xi_{ont}$ 
Outputs:  $G_{dilution}(g_s), G_{hardness}(g_s), G_{concentration}(g_s), G_{concession}(g_s)$ 
1: using  $g_s$  and  $g_i$  in  $G_{close}$  where  $i \in \{1..n\}$ 
2: for each  $g_i$ 
3:   calculate  $DimAff(g_s, g_i)$  (Eq. 3);
4:   calculate  $OntAff(g_s, g_i)$  (Eq. 5);
5:    $SemPhi(g_s, g_i) = DimAff(g_s, g_i) + OntAff(g_s, g_i)$ ;
6:   If  $(DimAff(g_s, g_i) \leq \xi_{dim} \ \&\& \ SemPhi(g_s, g_i) \geq \xi_{sem})$ 
7:     add  $g_i \rightarrow G_{dilution}(g_s)$ ;
8:   Else If  $(OntAff(g_s, g_i) \leq \xi_{ont} \ \&\& \ SemPhi(g_s, g_i) \geq \xi_{sem})$ 
9:     add  $g_i \rightarrow G_{hardness}(g_s)$ ;
10:  Else If  $(DimAff(g_s, g_i) > \xi_{dim} \ \&\& \ OntAff(g_s, g_i) > \xi_{ont} \ \&\& \ SemPhi(g_s, g_i) \geq \xi_{sem})$ 
11:    add  $g_i \rightarrow G_{concentration}(g_s)$ ;
12:  Else
13:    add  $g_i \rightarrow G_{concession}(g_s)$ ;
14: end for
Output  $G_{dilution}, G_{hardness}, G_{concentration}, G_{concession}$ 

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#### IV. EXPERIMENTS

Given a starting geographic feature, our goal is to find other related features within one or more data sources. Our datasets are composed of features of the cities of Frankfurt, Leverkusen, and Königswinter [16]. For the ontology, we used NASA’s SWEET [17], which we extended with urban structure concepts of *home*, *apartment*, *hotel*, *building*, *warehouse*, and *construction*.

Our first step is to extract features from the first available data source and calculate their semantic footprint (*DualAff*, *DimAff*, *OntAff*). Subsequently, regions of dilution, hardness, concentration, and concession can be identified, allowing their respective sets to be populated according to *Algorithm 1*.

In terms of measurement, we are interested in: (a) obtaining  $G_{final}(g_s)$  when different parameters are considered; (b) identifying sets of dilution, hardness, concentration, and concession related to the starting geographic feature.

Table 2. Evaluation Queries

$g_s = Geb537$	$ f_{att}(g_s) $ i.e., Attribute Count (g <sub>s</sub> )	$ f_{att}(g_s) \cap f_{att}(g_i) $ i.e. Shared Attribute Count Range (g <sub>i</sub> )	Class_d, i.e. Ontological Variation (g <sub>i</sub> )
Query I	30	min=5, max=24	min=0, max=25
Query II	30	10	min=1, max=29
Query III	30	18	min=10, max=38

Table 2 summarizes three representative queries selected from the experiments. We desire to find features located within  $\xi_{close} = 100$  km of the starting geographic feature ( $g_s = Geb537$ ) that are considered “most related” in terms of their semantic footprint. The features in this data set have anywhere from 12 to 40 attributes (or elements) and have a variation of labels in the ontology (e.g., house, apartment, construction, warehouse, etc...).

**High Overall Semantic Footprint (*SemPhi*):** Query I sets the starting geographic feature at *Geb537* with 30 total attributes, and labeled as a “house”. For the target features, the number of shared attributes varies considerably from 5 to 30. The ontological distance varies from zero hops (i.e., Class\_d) for one feature and all the way to 25 for others. Figure 5 gives a visual representation of the top 10 elements in  $G_{final}(Geb537)$  with arrows pointing in the direction of the 10 geographic features and labels for the semantic footprint values. Interestingly, the most related geographic features are not necessarily the closest ones. In fact, Figure 5 shows that even though *Geb537* is surrounded by nearby buildings, its footprint is composed of several farther away buildings.

**High Dimensional Affinity (*DimAff*):** *Query II* targets the same geographic starting point considering 20 total attributes. Of those, 10 are shared across all features. This configuration has the effect of setting an equal dimensional affinity across the data set [20]. Elements are as close as one hop apart in the ontological hierarchy, and as far as 29 hops away. Figure 5

shows the top 10 most related elements, most of which have high dimensional affinity.

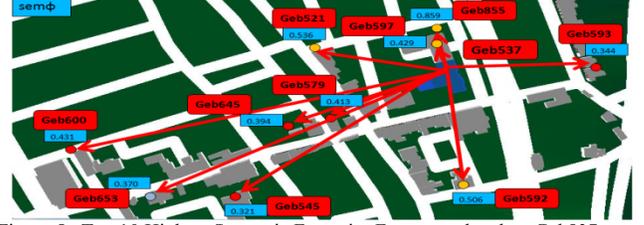


Figure 5. Top 10 Highest Semantic Footprint Features related to *Geb537*

**High Ontological Affinity (*OntAff*):** Still using *Geb537* as  $g_s$ , Query III operates on features that share many attributes (i.e., high dimensional affinity on 18 shared attributes). The ontological distance, in addition, is low for most elements, varying from 10 to 38 hops. While ontological affinity is very low, the semantic footprint remains somewhat constant at  $\sim 0.6$  since dimensional affinity is the same across the data set.

#### A. Dilution, Hardness, Concentration, and Concession Sets

Using Algorithm 1, we generate Table 3 to list how variations in *DimAff* and *OntAff* create sets of dilution, hardness, concentration, and concession. We set both  $t_{dim}$  and  $t_{ont}$  at 0.3 to designate our minimum cutoff requirements for dimensional and ontological affinity. If the domain expert has a strict demand for both attribute and type similarity, Table 3 identifies four features in  $G_{concentration}(Geb537)$  that are comprised of those characteristics. The 10 features in  $G_{dilution}(Geb537)$  group elements with high ontological/low dimensional affinity, whereas the 7 features in  $G_{hardness}(Geb537)$  provide the converse. Figure 6 gives a plot of the geographic features obtained in Query I. The three cases above underscore the importance of exploratory tasks in semantic data analysis. Understanding how features compare with and complement one another promotes good information extraction and knowledge discovery.

Table 3. Feature sets in  $G_{dim}(g_s)$  and  $G_{ont}(g_s)$  for *Geb537*

$t_{dim}=0.3, t_{ont}=0.3$	$G_{concentration}(g_s)$	$G_{dilution}(g_s)$	$G_{hardness}(g_s)$	$G_{concession}(g_s)$
Query I	Geb855 Geb521 Geb592 Geb597	Geb653, Geb875 Geb560, Geb574 Geb562, Geb540 Geb516, Geb532 Geb550, Geb522	Geb600, Geb579 Geb645, Geb593 Geb545, Geb877 Geb857, Geb504 Geb559, Geb874 Geb889, Geb589	Geb865 Geb561

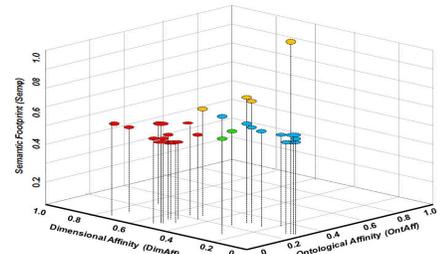


Figure 6 – Sets of Concentration, Dilution, Hardness, and Concession

#### B. Discussion

From a mathematical perspective, semantic footprint is a measure of similarity between two geographic features. But in practice, we would like to understand its qualitative aspect, i.e., how similar the features are or how related they may be according to their natural characteristics. Looking closer at *Query I* (Table 2) and according to *Geb537*’s semantic

footprint (Figure 5), its most related element is *Geb855*: they share many attributes in addition to being the same type of feature in the ontology (“houses”). For example, their shared attributes include *appearance*, *rgbTexture*, *image*, *ambientIntensity*, and *diffuseColor*, among others. This scenario depicts an ideal case where semantic footprint is high from both a dimensional and an ontological perspective. As the number of shared elements decreases, so does the dimensional affinity values. Several elements still maintain a high semantic footprint due to the fairly high dimensional affinity. *Geb645* finds a feature much farther in the ontological space (*Class\_d=25*), causing the semantic footprint to drop as compared to others. These results force the semantic footprint to fluctuate as expected and demonstrate that semantic footprint is as an effective measure of relatedness. For further details on the experiment results, please see the extended version of this paper [20].

For geographic features with far-apart types, the behavior of the semantic footprint can have a different connotation. For instance, *Geb537* and *Geb645* are 25 hops apart. The traversal path goes through “*house*→*private residence*→*living Space*→...→*construction*→*building*→*private*→*warehouse*”. The framework punishes the relationship between these two elements as possibly “unrelated” due to the different nature between *house* and *warehouse*. In spite of that, the semantic footprint is still kept high to reward their high number of shared attributes. The implication of this behavior reflects possible real-life scenarios whether the domain expert is looking for a *house-house* or a *house-warehouse* correlation. The semantic footprint is flexible enough to allow these adjustments to occur without dismissing one or the other as unrelated. In terms of density sets, the framework provides interesting insights. First, geographic features originating in the same data set tend to be highly concentrated, i.e., their semantic footprint is fairly balanced from both an attribute and ontology perspective. While this is not exactly surprising, variations in application domain often give rise to diluted and hardened sets even when the sources are the same or different, but from the same provider. We observed this behavior after processing geographic features (buildings in general) from Koenigswinter and Leverkusen. Some of the data sources come in different levels of detail which are hard to compare due to the differences in attributes, but are common in CityGML format. In addition, attempts to relate applications of different domains (e.g., marketing and health) may easily yield concession sets, where the semantic footprint suffers significantly from a lack of common attributes and the fact that the same ontology may not always be the same for each source. In our study, we do not propose ontology merging or disambiguation, as it is outside of our scope. However, our framework still operates correctly by placing a lower premium on geographic features for which no common ontology is applied.

## V. CONCLUSION

In this study, we approach spatial data analysis from an exploratory perspective. Our work proposes semantic

footprints as a framework for geographic feature expansion based on three concepts: spatial, dimensional, and ontological affinity. These concepts reason over attributes and types to uncover the most related geographic features to a starting point. In addition, they show the dilution, concentration, hardness, and concession of the feature space. Future work will include temporal analysis as well as region-based semantic processing of geographic features.

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