

# DREVAN: Deep Reinforcement Learning-based Vulnerability-Aware Network Adaptations for Resilient Networks

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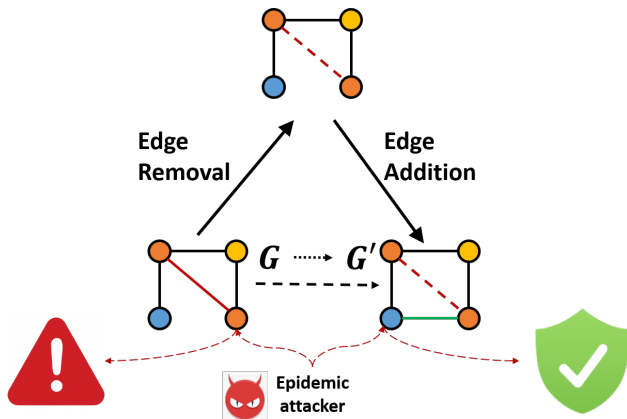


# Outline

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# Motivation

- Achieving network security and network resilience by network topology adaptation under software polyculture environment.



# Key Contributions

- Proposed a network topology adaptation technique to achieve network resilience in terms of maximizing system security and network connectivity.
- Presented two algorithms to support the DRL agent to efficiently identify an optimal adaptation budget strategy to meet the two system goals.
  - VREN: Vulnerability Ranking algorithm of Edges and Nodes
  - FSS: Fractal-based Solution Search algorithm
- Conducted extensive comparative performance analysis based on six network topology adaptation schemes.
- Found that DRL-based network topology adaptations particularly outperform with regard to minimizing system security vulnerability.

## Related Work

### ■ Deployment of diversity-based network adaptations

- Metric-based: graph coloring based software allocation/assignment <sup>1</sup>
- Metric-free: software assignment <sup>2</sup>; network topology shuffling <sup>3</sup>

### ■ DRL-based network topology shuffling

- Addition: adding edges to networks <sup>4</sup>
- Removal: removing edges from networks <sup>5</sup>
- Shuffling: redirecting edges in networks <sup>6 7</sup>

### ■ Limitations

- Lack of study to determine an optimal number of edge adaptations for resilient networks
- Limited topology operations
- Slow convergence for DRL agents to identify optimal solutions

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<sup>1</sup> Borbor et al., 2019

<sup>2</sup> Yang et al., 2016

<sup>3</sup> Hong et al., 2016

<sup>4</sup> Darvariu et al., 2020

<sup>5</sup> Dai et al., 2018

<sup>6</sup> Chai et al., 2020

<sup>7</sup> Zhang et al., 2020

## Problem Statement

- **Main idea:** optimize network security( $\mathcal{F}_C$ ) + resilience( $\mathcal{S}_G$ )
- **Objective function :**

$$\arg \max_{b_A, b_R} f(G') - f(G), \quad s.t. \quad 0 \leq b_A + b_R \leq B, \quad (1)$$

$G$  : original network

$G'$  : adapted network

$b_A$  : addition budget

$b_R$  : removal budget

$f : G \mapsto \mathcal{S}_G(G) - \mathcal{F}_C(G)$

# System Model

- **Network Model:** A centralized system with one centralized controller
- **Node Model**
  - Activity indicator(IDS):  $na_i = 1(\text{alive})/0(\text{failed})$
  - Compromise indicator:  $nc_i = 1(\text{compromised})/0(\text{not compromised})$
  - Software version:  $s_i \in [1, N_s]$ ,  $N_s$ : # of available software packages
  - Software vulnerability:  $sv_i \in [0, 1]$ <sup>8</sup>
- **Attack Model**
  - Epidemic attacks:  $P_a$ 
    - Perform two attack trials to infect its direct neighbors
    - Learn software versions along attacks
  - State manipulation attacks:  $P_s$ 
    - Inject fake rewards

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<sup>8</sup> The extent of a Common Vulnerabilities and Exposures (CVE) based on a Common Vulnerability Scoring System (CVSS)

# Vulnerability Ranking of Edges and Nodes (VREN)

- Precision control by # of attack simulations
- Edge vulnerability level  $V_E$ : # of times it is used by attackers to compromise other nodes
- Node vulnerability level  $V_V$ : # of times it becomes an attacker (being compromised)
- Ranking system
  - $R_E$ : edge ranking based on  $V_E$  in descending order
  - $R_V$ : node ranking based on  $V_V$  in ascending order
- Adaptation based on budget constraints  $[b_R, b_A]$ 
  - $b_R$ : edge removal budget
  - $b_A$ : edge addition budget



# Fractal-based Solution Search (FSS)

- Self-similar fractals
  - Centroid representation for each division
  - Logarithm complexity:  $\lceil \log B \rceil$   
( $B$ : the upper bound of the total adaptation budget)
- Discrete evaluation
  - Nearest integer points:  $(b_R, b_A)$   
( $b_R$ : edge removal budget,  $b_A$ : edge addition budget)

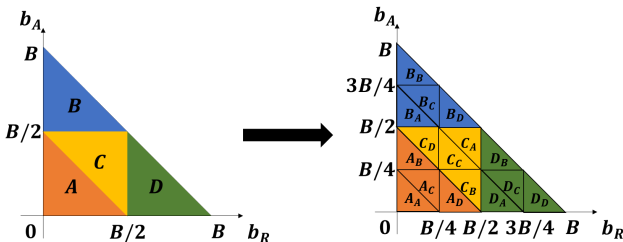


Figure 1: Generation of self-similar fractals to reduce solution search space in edge addition and removal budgets,  $(b_A, b_R)$ .

# Proposed DREVAN Framework

## ■ DRL-based Budget Adaptation

### ■ States

- $s_t = (b_A^t, b_R^t, G_t')$
- $b_R^t$ : removal budget at time  $t$ ;  $b_A^t$ : addition budget at time  $t$ ;  $G_t'$ : the network at time  $t$

### ■ Actions

- FSS:  $a_t = \{A, B, C, D\}$ , where  $1 \leq t \leq \lceil \log_2 B \rceil$
- LS (Linear Search):  $a_t = \{\text{stop}, \text{add}, \text{remove}\}$ , where  $1 \leq t \leq B$

### ■ Rewards

- $\mathcal{R}(s_t, a_t, s_{t+1}) = f(G_{t+1}') - f(G_t')$ , where  $f: G \mapsto S_G(G) - \mathcal{F}_C(G)$  (size of the giant component - fraction of compromised nodes).

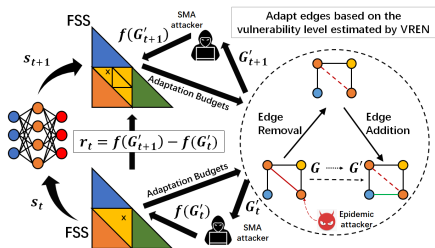


Figure 2: The overall architecture of the proposed DREVAN: The color of each node refers to a different software package installed in it.

# Experimental Setup

- Random Graph
  - ER: Erdős–Rényi random graph model
  - Number of nodes  $N = 200$
  - Connection probability  $p = 0.05$
- Attack Types Considered
  - State Manipulation Attacks
    - Probability for a system state to be manipulated by the attacker  $P_s = 0.3$
  - Epidemic Attacks
    - Fraction of initial attackers in a network  $P_a = 0.3$

# Experimental Setup

Table 1: Key Design Parameters, Meanings, and Default Values

Param.	Meaning	Value
$n_a$	Attack simulation times	500
$n_r$	Number of simulation runs	200
$n_e$	Training episodes of DRL-based schemes	1000
$N$	Total number of nodes in a network	200
$k$	Upper hop bound for edge addition	3
$\gamma$	Intrusion detection probability	0.9
$P_{fn}, P_{fp}$	False negative or positive probability	0.1, 0.05
$x$	Degree of software vulnerability	0.5
$p$	Connection probability between pairs of nodes in an ER network	0.05
$l$	Number of software packages available	5
$P_a$	Fraction of initial attackers in a network	0.3
$B$	Upper bound of the total adaptation budget	500
$P_s$	Probability of state manipulation attacks	0.3
$D_r$	Detection rate of state manipulation attacks	0.99

# Asymptotic Analysis of the Compared Schemes

Scheme	Complexity
DQN with DREVAN	$O(n_e \times \lceil \log_2 B \rceil \times T_{\text{train}} \times n_a)$
DQN with FSS	$O(n_e \times \lceil \log_2 B \rceil \times T_{\text{train}} \times n_a)$
DQN with VREN	$O(n_e \times B \times T_{\text{train}} \times n_a)$
DQN	$O(n_e \times B \times T_{\text{train}} \times n_a)$
Greedy	$O(\lceil \log_2 B \rceil \times n_a)$
Random	$O(n_a)$
Optimal	$O(B^2 \times n_a)$

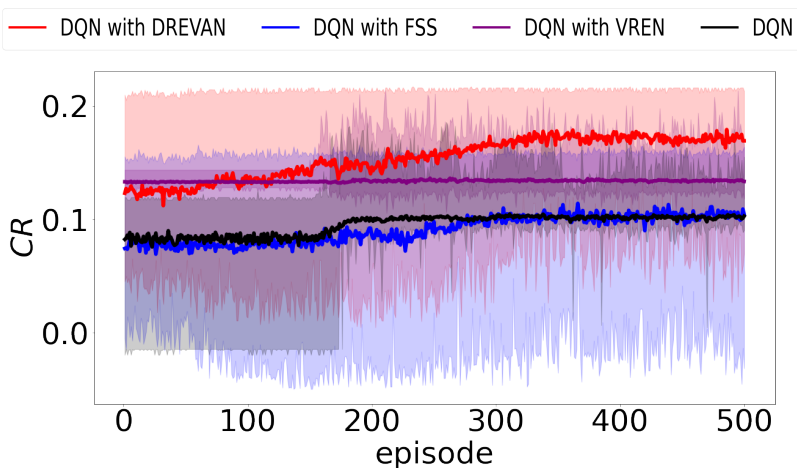
$n_e$  : the training episode

$B$  : the upper bound of total adaptation budget

$T_{\text{train}}$  : the training time per episode

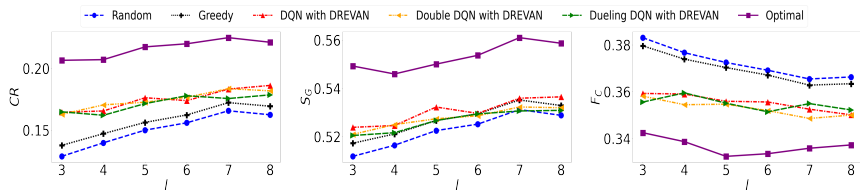
$n_a$  : the attack simulation times

# Converged Reward with respect to Training Episodes



- DQN with DREVAN performs the best.
- DQN with FSS can only learn a sub-optimal policy.
- DQN with VREN and DQN cannot learn well with LS.

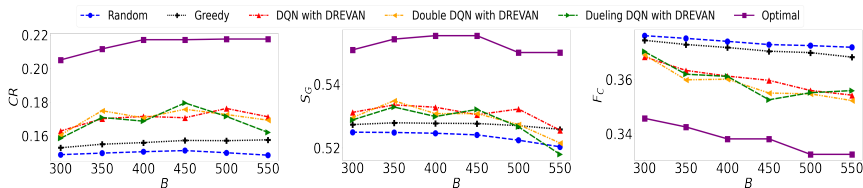
# Effect of Varying the Number of Software Packages Available ( $l$ ) under an ER Network



(a) Converged reward ( $\mathcal{CR}$ ) (b) Size of the giant component ( $\mathcal{S}_G$ ) (c) Fraction of compromised nodes ( $\mathcal{F}_C$ )

- As  $l$  increases,  $\mathcal{F}_C$  drops and  $\mathcal{S}_G$  increases.
- Overall performance order: Optimal  $\geq$  DQN  $\approx$  Double DQN  $\approx$  Dueling DQN  $\geq$  Greedy  $\geq$  Random.

# Effect of Varying the Upper Bound of the Total Adaptation Budget ( $B$ ) under an ER Network

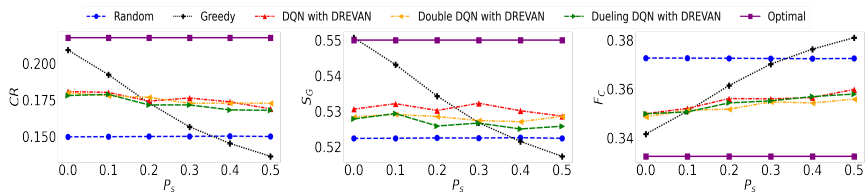


(a) Converged reward ( $\mathcal{CR}$ ) (b) Size of the giant component ( $\mathcal{S}_G$ ) (c) Fraction of compromised nodes ( $\mathcal{F}_C$ )

- Higher  $B$  increases  $\mathcal{CR}$  while decreasing  $\mathcal{F}_C$ , but it does not necessarily improve  $\mathcal{S}_G$ .
- Overall performance order: Optimal  $\geq$  DQN with DREVAN  $\approx$  Double DQN with DREVAN  $\approx$  Dueling DQN with DREVAN  $\geq$  Greedy  $\geq$  Random.
- Dueling DQN with DREVAN is more sensitive to  $B$  than DQN with DREVAN and Double DQN with DREVAN.



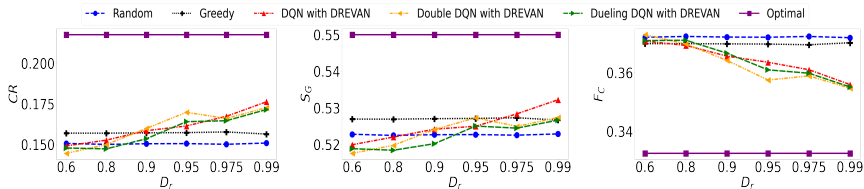
# Effect of Varying Probability of State Manipulation Attacks ( $P_s$ ) under an ER Network



(a) Converged reward ( $\mathcal{CR}$ ) (b) Size of the giant component ( $\mathcal{S}_G$ ) (c) Fraction of compromised nodes ( $\mathcal{F}_C$ )

- Higher  $P_s$  brings lower  $\mathcal{CR}$  and  $\mathcal{S}_G$  while introducing more  $\mathcal{F}_C$ .
- The Greedy scheme is more sensitive to  $P_s$  than DRL-based schemes.

# Effect of Varying Detection Rate of State Manipulation Attacks ( $D_r$ ) under an ER Network



(a) Converged reward ( $CR$ ) (b) Size of the giant component ( $S_G$ ) (c) Fraction of compromised nodes ( $F_C$ )

- Higher  $D_r$  increases  $CR$  and  $S_G$  while lowering  $F_C$ .
- DRL-based schemes only outperform with higher  $D_r$ .
- Overall DQN with DREVAN performs slightly better than Double DQN with DREVAN and Dueling DQN with DREVAN.

## Conclusions

- Proposed a fractal-based environment (FSS) that can significantly reduce the training complexity of our DRL algorithms.
- Proposed a vulnerability-aware ranking algorithm (VREN) to strategically adapt edges for efficient and effective network configurations.
- Proposed a DRL-based framework, DREVAN, to minimize system vulnerability while maintaining comparable or better network connectivity.
- Showed the outperformance of three different types of Deep Q-learning algorithms against the counterpart and baseline schemes.

## Any Questions?

**Thank you!**

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