

DETECTING CHANGE IN DATA STREAM: USING SAMPLING TECHNIQUE

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Outline

- ▣ Overview
- ▣ A-Distance
- ▣ DCDDS Algorithm
- ▣ Experimental Results
- ▣ Schedule

Introduction

- ▣ Probability distribution as the key character of a data stream in detecting change
- ▣ Data stream changed PD has changed.
- ▣ Detecting Change in the Distribution (most common)
 - Willcoxom test
 - L_p distance
 - Jensen-Shannon Divergence (information distance)
- ▣ Using A-Distance.

A-Distance

- Definition 1 Change: $S \langle s_1, s_2, s_3, \dots, s_t \rangle$, tc (current time) at anytime t , $t < tc$ there are $S1 \langle s_1, s_2, s_3, \dots, s_t \rangle$ and $S2 \langle s_{t+1}, s_{t+2}, s_{t+3}, \dots, s_{tc} \rangle$, if $f(S1, S2) > \epsilon$ there is change a time t .
 - f is distance function
 - ϵ is threshold
 - $R1$ and $R2$ are the subset of the complete data stream.
- A-Distance[1] defined

$$f_A(R_1, R_2) = 2 \sup_{a \in A} \frac{|P_1(a) - P_2(a)|}{\left\{ \min \left\{ \frac{P_1(a) - P_2(a)}{2}, 1 - \frac{P_1(a) - P_2(a)}{2} \right\} \right\}^{\frac{1}{2}}}$$

- Replace $P_i(a)$ with $S_i(a) = |S_i \wedge a| / |S_i|$

DCDDS Algorithm

Find_Change

For I = 1 ... k do

$C_0 = 0$

$S_{1,i}$ = first m point from time C_0

$S_{2,i}$ = next m point in stream

End for

While not at end of stream do

 For I = 1...K do

 Sampling the new data into $S_{1,i}$

 if ($f(S_{1,i}, S_{2,i}) > \epsilon_i$) then

C_0 = current time

 Report change at time C_0

 Clear all windows and GOTO 1

 end if

 End of

End while

▣ f - Distance function

▣ m sample size.

▣ Set of Triples
 $\{(p_1, \epsilon_1), (p_2, \epsilon_2) \dots (p_k, \epsilon_k)\}$

▣ Meta Algorithm is running K independent algorithms

▣ Compare Random X with Sample probability p.
(sample algorithm)

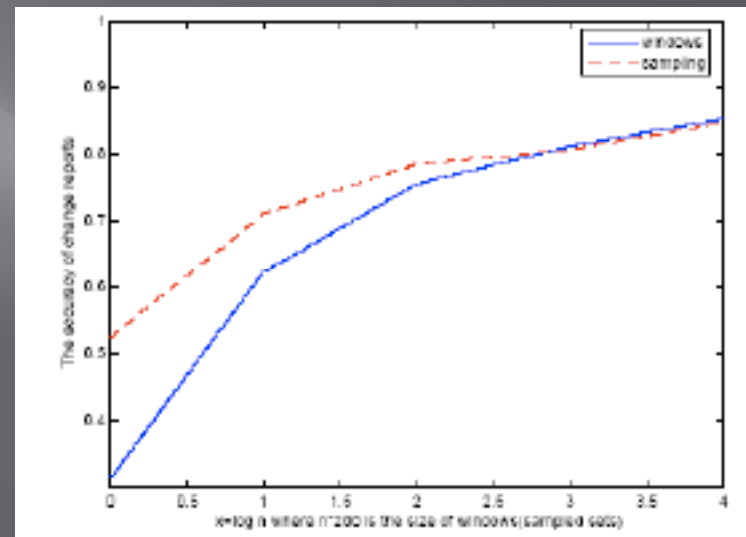
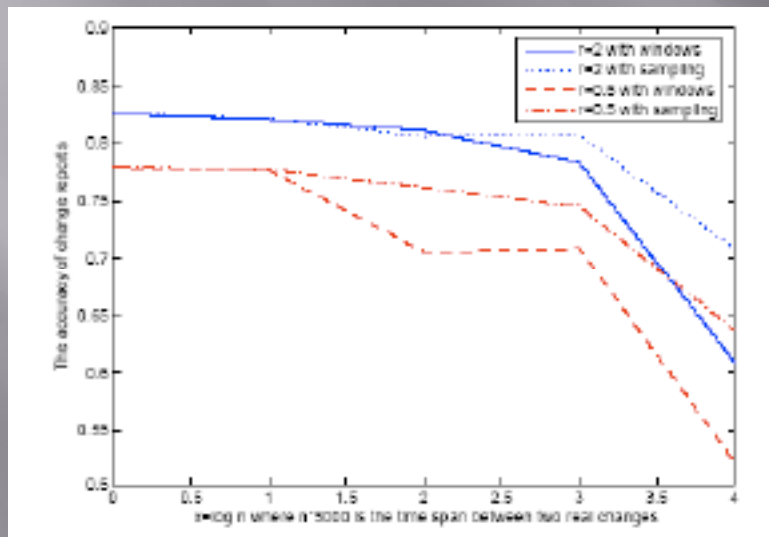
When Sample is full discard oldest point in sample size.

DCDDS Advantages

- ▣ Provide tighter statistical guarantees
- ▣ Less missing detections and false alarms
- ▣ Works better with sliding window model on detecting small changes
- ▣ Better time cost than sliding window
- ▣ Time cost is $1/p$ same as sliding window.

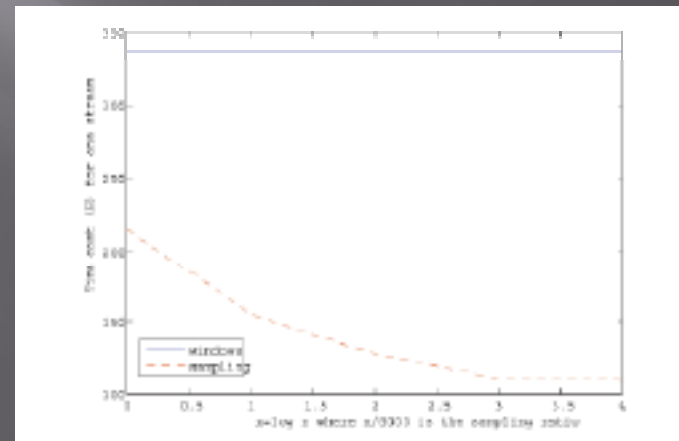
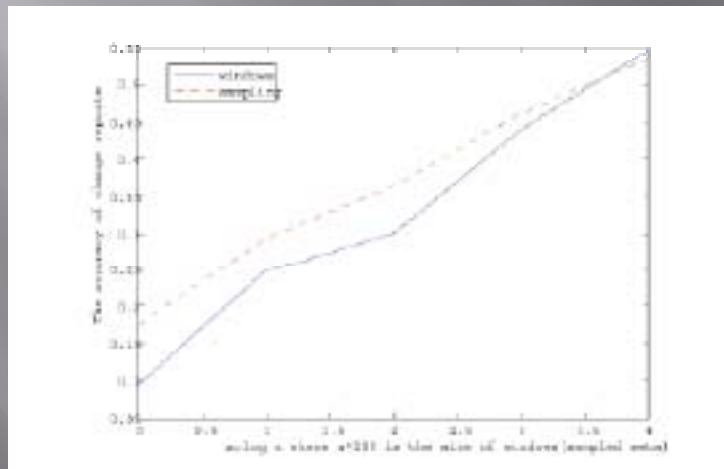
Experimental Results

- Experiment 2 Mill points, uniform distribution, time span=20,000, window size 200-300 drift $r=2$ and $p=5$



Experimental Results

- The Normal distribution with $\mu=50$, $\sigma=5$, with the change drift $r=0.5$
- The time cost statistics using the uniform distribution with $p = 5$ and $r = 2$. The time span is 20,000, and size of windows (sampled-sets) is 1600.



Questions/Conclusion

- ▣ W. L. X. J. X. Ye, “Detecting Change in Data Stream: Using Sampling Technique,” *Natural Computation, 2007. ICNC 2007. Third International Conference on* vol. 1, pp. 130-134, Aug 2007, 2007.
- ▣ [1] S. B.-D. Daniel Kifer, Johannes Gehrke “Detecting change in data streams,” *Proceedings of the Thirtieth international conference on Very large data bases*, vol. 30, no. 13, pp. 180-191, 2004

Schedule

- ▣ Continue Lit Search
- ▣ Implementing Multi Variant KDE: #Crime, Lat Lon
- ▣ Scrubbing the Data:
 - Adding: Town of Herndon, Fairfax City Vienna